

# On Quantifying Performance Enhancement of Distributed SDN Architecture



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## Summary & Problem Statement

**Goal:** Quantify performance enhancement by SDN  
**Performance Metric:** APL: the average length of the shortest path between two arbitrary nodes in the network under different synchronization levels

**Performance Bounds:**

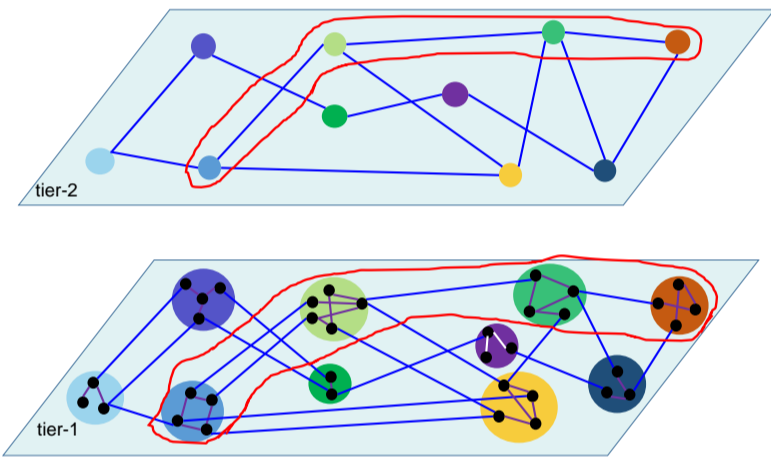
**Upper bound:** complete control plane syncs;

**Somewhere in the middle:** partial syncs;

**Lower Bound:** no syncs among any domains;

## Network Model

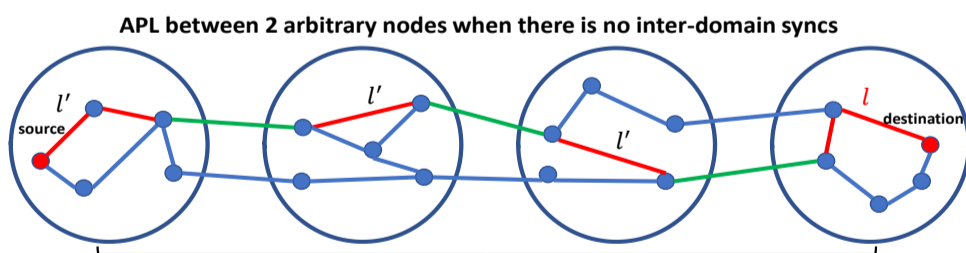
$Y$ : RV of # domains that the shortest path between two arbitrary nodes traverses  
 $h_Y(y)$ : PMF of RV  $Y$



**Tier-1:** domains whose topology is decided by **degree distribution** extracted from real network

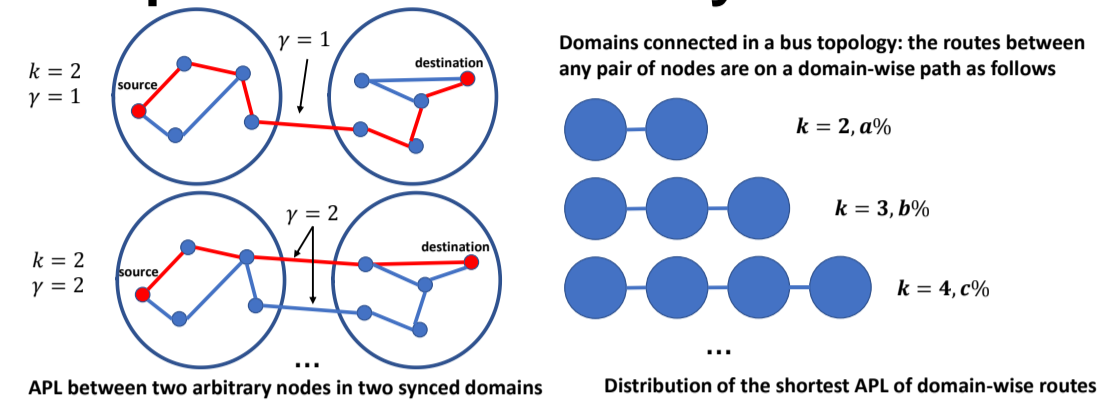
**Tier-2:** each domain is abstracted as a single node and two domains are joined by a link in domain-wise topology if there are physical connections

## No Inter-domain Syncs



- $l \simeq \ln(n/z_1)/\ln(z_2/z_1) + 1$   $l$ : APL between two arbitrary nodes within one domain
  - $\Delta \simeq \ln(m/z'_1)/\ln(z'_2/z'_1) + 2$   $\Delta$ : avg. # domains on a domain-wise route
  - $l' \simeq \begin{cases} \frac{n-\gamma}{n} \left( \frac{\ln(\frac{n+1-\gamma}{\gamma})}{\ln(z_2/z_1)} + 1 \right) & \text{for } \gamma \leq (n+1)/2, \\ \frac{n-\gamma}{n} & \text{for } \gamma > (n+1)/2. \end{cases}$
  - $\gamma = n(1 - (1 - 1/n)^\beta)$   $\gamma$ : # gateway nodes in one domain
  - $L_{BGP} \simeq (l' + 1)(\Delta - 1) + l$   $L_{BGP}$ : APL under BGP
- $n$ : # nodes in one domain  
 $z_i$ : avg. # vertices  $i$  hops away from an arbitrary node  
 $z'_i$ : corresponding  $z_i$  in domain-wise network  
 $l'$ : average distance between an ordinary node and its nearest gateway node

## Complete Inter-domain Syncs



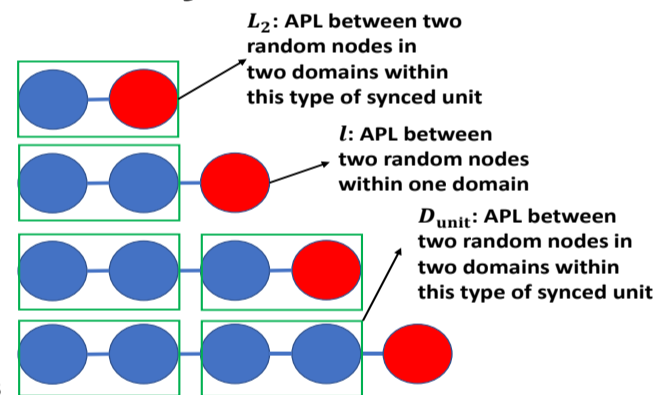
- $f_{D_1}(d) = \Pr(D_1 = d) = z_d/n, d = 0, 1, 2, \dots$   $f_{D_1}(d)$ : distance distribution in one domain
  - $f_{D_k}(d) = \begin{cases} (1 - F_U(d-1))^{\beta^{k-1}} & d \geq k, \\ -(1 - F_U(d))^{\beta^{k-1}} & d = k-1. \end{cases}$   $f_{D_k}(d)$ : joint distance distribution between two random nodes in two terminal domains of  $k$  domains connected in a bus topology
  - $L_k := \mathbb{E}[U]$   $L_k$ : mean of RV  $D_k$
  - $L^* = \sum_{y=2}^m L_y h_Y(y)$   $L^*$ : APL under complete inter-domain synchronizations
- $F_U(d)$ : CDF of  $f_{D_k}(d)$   
 $U$ : RV of distance between two random nodes in two terminal domains of  $k$  domains connected in a bus topology

Theorem 1.  $L_k < L_{k+1}$  under the 2-tier network model.

## Partial Inter-domain Syncs

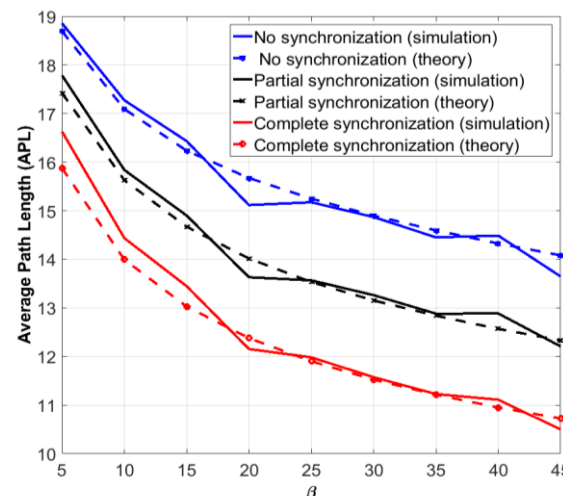
**How SDN-assisted inter-domain routing works?**

- (1) The domain-wise path is jointly constructed by each controller in these domains like BGP;
- (2) The SDN controller in the current domain follows the instruction from the previous domain(s); if no such instruction exists, go to (3);
- (3) The SDN controller in the current domain selects a path starting from the ingress node to the closest egress node



- $L_k^{SDN} = \begin{cases} (\frac{k}{2} - 1)L_{unit} + L_2 + \frac{k}{2} - 1 & k \text{ is even,} \\ \frac{k-1}{2}L_{unit} + l + \frac{k-1}{2} & k \text{ is odd.} \end{cases}$   $L_k^{SDN}$ : APL in a bus topology with  $k$  domains
- $L_{SDN} = \sum_{y=2}^m L_y^{SDN} h_Y(y)$   $L_{unit}$ : APL in step (3)  
 $L_{SDN}$ : APL under the simple scheme

## Evaluations



- Intra-domain topology collected from the Rocketfuel Project
- Simulation results confirm the validity of analytical framework
- A basic SDN-based strategy can Reduce the gap to optimal value by Around 50%

